LECTURE 12

Theory and Design of PL (CS 538) March 2, 2020



MIDTERM

- This Friday from 2:30-3:45 in CS 1325 Makeup: Wednesday from 6:00-7:15 in TBA
- Exam format

 - 75-minutes, short-answer, in-class exam No aids/notes/electronics allowed
- How to prepare
 - Written (~25%): look at WRs, solutions Programming (~75%): read/write Haskell (HW3)

COURSE EVALS

• Midterm course evals open now until Friday • Please put feedback on anything in this course • I will read and think about all of your feedback

APPLICATIVE VERSUS

MONADC

REVIEW: APPLICATIVE AND MONAD

class Functor f => Applicative f **where** pure :: a -> f a -- Required op. 1: pure (<*>) :: f (a -> b) -> f a -> f b -- Required op. 2: ap **class** Applicative m => Monad m **where** return :: a -> m a -- Required op. 1: return (>>=) :: m a -> (a -> m b) -> m b -- Required op. 2: bind

REMEMBER: CALCULATOR

• Grammar of a simple calculator language

term = atom "+" term | atom "-" term | atom ;
atom = num | "(" term ")" ;

• Model with these two Haskell datatypes:

data Term = Add Atom Term | Sub Atom Term | Single Atom
data Atom = Num Int | Parens Term

APPLICATIVE-STYLE PARSING

Use applicative/alternative instances for Parser:

termP ::	Parser Term
termP =	Add <\$> atomP <* (tokenP
< >	Sub <\$> atomP <* (tokenP
< >	Single <\$> atomP
atomP ::	Parser Atom
atomP =	Num <\$> intP
< >	Parens <\$>
	(tokenP \$ charP '(') *> t

(charP '+')) <*> termP
(charP '-')) <*> termP

termP <* (tokenP \$ charP ')')</pre>

PARSER HAS A MONAD INSTANCE But Parser also has a Monad instance:

termP' = do	a <- atomP'							
	tokenP (charP '+')							
	t <- termP'							
	return \$ Add a t							
< > do	a <- atomP'							
	tokenP (charP '-')							
	t <- termP'							
	return \$ <mark>Sub</mark> a t							
< > do	a <- atomP'							
	return \$ Single a							
atomP' = do	i <- intP							
	return \$ Num i							
< >	• • •							

-- or: Single <\$> a

COMPARING THE TWO STYLES

- The two styles can be freely mixed
- Applicative-style
 - Shorter, more condensed
- Can be complicated to ignore/keep things Monadic-style (do-notation)
 - Longer, more verbose
 - Sequential steps are clearer (imperative)

MONADS AS Computations

WHAT "IS" A MONAD?

- No single interpretation—it's just a pattern! Useful for describing "computations"
- Take a type m a

 - a is the type of stuff that is "returned"
- maugments a with "side information" • m a is a type of computation returning stuff of type a

"PROGRAMMABLE SEMICOLON"

- Usually: function composition for sequencing • But: sometimes we want fancier behavior
- Maintain a log, update state, ...
- But: sometimes we don't want to execute just yet
 - Store for processing later, add more steps, ...
- Monad instances let us define how to sequence stuff Handle "plumbing" for side information

ASSEMBLE A COMPUTATION WITHOUT RUNNING IT

- Distinguish between normal values and computations Cakes versus recipes
- Use (Haskell) programs to build (monadic) programs
 - Pass computations around
 - Repeat computations
 - Combine computations in custom ways
- Only run computations when and where we want

SIDE-EFFECTS AND

PURTY

WHAT IS A SIDE-EFFECT?

Anything a function depends on besides input

Reading a configuration file
Getting the current local time

Anything a function does besides making output

Establishing a network connection
Opening the pod bay doors

PURITY: NO SIDE-EFFECTS

- All functions in Haskell are pure
- Use monads to express side-effecting computations
 - Need to specifically indicate in types
 - Note: not all monads model side-effects

e pure le-effecting computations cate in types odel side-effects

SIMPLER TO THINK ABOUT

Function output depends only on the input
No hidden state
No hidden dependencies
No hidden actions
Input is a lot simpler than state of the world

EASIER TO TEST

- Doesn't depend on external environment
- Totally repeatable and deterministic If it does X, it will always do X

No matter time of day, other parts of program, etc.

WON'T INDIRECTLY AFFECT OTHER COMPONENTS

 Code changes will only affect input-output Won't step on some shared state Won't mess up other components "indirectly" Modularity and abstraction taken to the limit Callers can only observe input/output Can never be affected by calling a function

WHAT IF WE NEED SIDE-



SOMETIMES, HAVE TO...

• Want the program to do something when we run it! Print to the screen Write a file Turn on the lights • Would be bad if we could never do this

EFFECTS MARKED IN TYPES

• Haskell effects managed by monads • Types say: danger! May do stuff besides returning a value May modify hidden state, do I/O, ... Allowed effects depend on the kind of monad

REVISITING THE STATE



STATEFUL PROGRAMS

- "Function with state" produces output, and transforms state
- A few ingredients:
 - State is of type s
 - Output is of type a
- Take start state to output value, plus new state

data State s $a = MkState (s \rightarrow (a, s))$

MAKING IT INTO A MONAD

- Return: turn ordinary output value into stateful program producing that value
- Bind is a bit more complicated
 1. Run first stateful program
 2. Look at the output value of the first part
 3. Select and run second stateful program

MORE CONCRETELY...

GETTING THE RESULT OUT

• Given stateful program, how do we "run" it? How do we get the result out? • Need: initial value of the state • Running turns State s a into a normal value

runState :: State s a -> s -> (a, s) runState (MkState stateTrans) initState = stateTrans initState

A MONAD FOR ARBITRARY SIDE-



HASKELL MAIN PROGRAM

```
main :: IO ()
main = \dots
```

Why does main always have this type in Haskell?

- What is this type, really? In fact, IO is a monad!
 - () is the "return" type

IO IS A SPECIAL MONAD

- All side-effects are allowed!
 - Can do general input/output actions
 - Can interact with the external world
- This is the only place where input/output allowed No Haskell definition—it is a completely built-in type

GETTING THE RESULT OUT (?) • Say we have a IO Int. How to get the Int out? Is there a function of type IO Int -> Int?

There is no way to do this!

• Why? IO Int gives Int and may do real-world stuff Can't turn this into a pure computation

PROGRAMMING WITH IO

CONSOLE OUTPUT • All basic printing functions "live in IO"

putChar	•••	Char	->	IO	()	Pr.
putStr	::	String	->	IO	()	Pr.
putStrLn	•••	String	->	IO	()	Pr.

```
main :: IO ()
main = do
 putChar "Q"
 putStr " is my favorite character.\n"
 putStrLn "Tada!"
```

int a character rint a string int a string and newline

CONSOLE INPUT • All basic reading functions "live in IO"

getChar	•••	IO	Char	 Read	a	Cl
getLine	•••	IO	String	 Read	a	ST

```
main :: IO ()
main = do
  putStrLn "Enter a character: "
  c <- getChar
  putStrLn "\nEnter a string: "
  str <- getLine</pre>
  putStrLn $ "Got: " ++ c ++ " and " ++ str
```

haracter from console tring from console

INTERACT

• Useful utility: read a string, transform it, print it

interact :: (String -> String) -> IO () -- Read, transform, print

• Pattern: separate pure and impure functions

-- Very complicated processing, but pure function complicatedPureStuff :: String -> String complicatedPureStuff str = ...

```
main :: IO ()
main = do
  putStr "Enter something! "
  interact complicatedPureStuff
  putStrLn "\n All done!"
```



FILESYSTEM I/O Type of file system paths (depends on system)

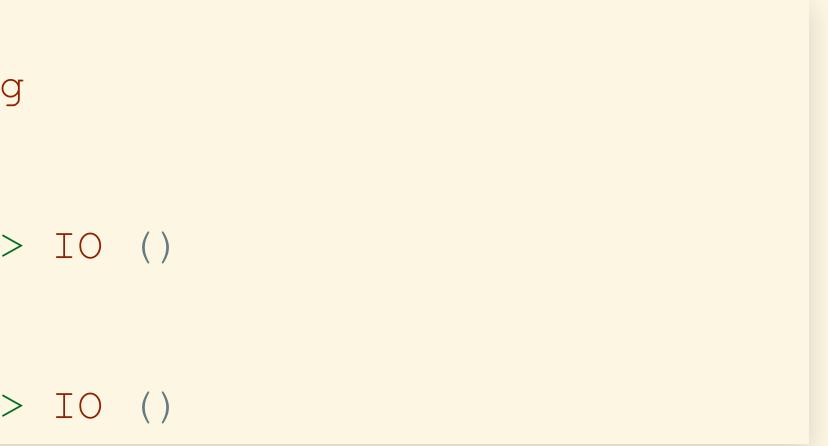
type FilePath = ...

Library functions for reading/writing: all in I/O!

-- Read file into a string readFile :: FilePath -> IO String

-- Write string to file writeFile :: FilePath -> String -> IO ()

-- Append string to file appendFile :: FilePath -> String -> IO ()



MUTABLE REFERENCES

 In pure Haskell, variables can't be changed/mutated • In IO monad, can make mutable references

data IORef a

newIORef :: a -> IO (IORef a) -- New cell w/initial value readIORef :: IORef a -> IO a -- Read contents from cell writeIORef :: a -> IORef a -> IO () -- Write contents to cell

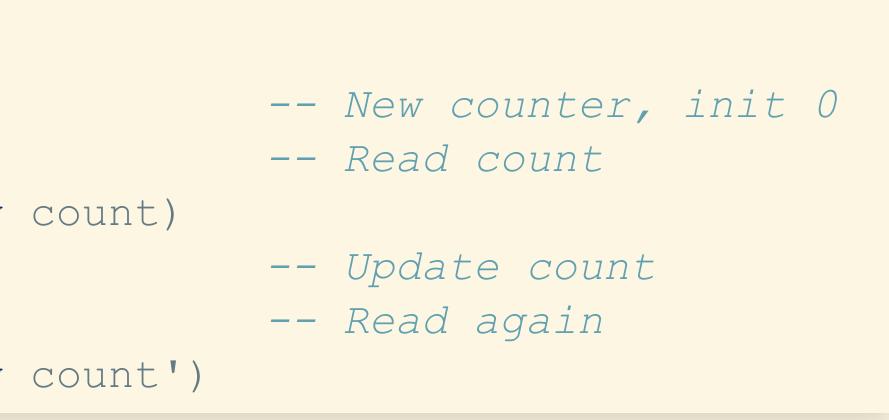
-- Built-in type

IMPERATIVE HASKELL

• Operations in IO allow imperative programming

```
main :: IO ()
main = do
myRef <- newIORef 0
count <- readIORef myRef
putStrLn $ "Count: " ++ (show count)
writeIORef (count + 1) myRef
count' <- readIORef myRef
putStrLn $ "Count: " ++ (show count')</pre>
```

Quite a lot of trouble just to increment a counter...
Only use where absolutely necessary
Pure functions strongly preferred in Haskell



ORGANIZING I/O IN HASKELL

THINKING ABOUT IO

"WORLD TRANSFORMER"

• Idea: running IO a can literally change the world • Imagine IO as the biggest State monad ever:

data State s a = MkState (s -> (a, s)) -- Think: IO a === State WorldState a

• WorldState is the state of the whole world Note: this isn't actually how it works

WHEN DO IO EFFECTS "HAPPEN"?

- Just changes one computation into another This doesn't cause effects!
- No matter what, all Haskell functions are pure • Suppose: call a function of type IO a -> IO b

IO EFFECTS HAPPEN "EXTERNALLY"

- Side effects actually take place when IO a is "run"
 - But: can't run IO directly within Haskell!
- One way to think about IO in Haskell
 1. Build up a huge side-effecting computation (main)
 2. Hand whole thing off for user to run

"CAKE RECIPE"

If something has type Cake, it's a cake If something has type IO Cake, it's a cake recipe

A cake recipe is different from a cake!

BUILDING RECIPES

 Monad operations: combine recipes together Do recipes one after another Add extra steps to a recipe Choose between different recipes

But no matter what, we will always have just a cake recipe, and not a cake!

HOW DO WE GET THE CAKE?

- The whole recipe: special symbol main, type IO ()
- Purpose of Haskell programs is to build this recipe
- The actual cake is made when program is executed

symbol main, type IO () ms is to build this recipe hen program is executed

PROGRAMMING WITH



SEQUENCING

• Given: list of computations each returning a • Build: computation returning list of a

```
sequence :: Monad m => [m a] -> m [a]
sequence [] = return []
sequence (comp:comps) = do res <- comp</pre>
                          return (res:rest)
```

rest <- sequence comps</pre>

REPEATING

• Given: integer count and computation returning a • Build: computation returning list of a

replicateM :: Monad m => Int -> m a -> m [a] replicateM 0 comp = return [] replicateM n comp = **do** res <- comp res' <- replicateM (n - 1) comp return (res:res')

MAPPING

• Given: Function from a to computation returning b A list of a's • Build: Computation returning list of b's

mapM :: Monad $m \Rightarrow (a \rightarrow m b) \rightarrow [a] \rightarrow m [b]$ mapM f [] = return [] mapM f (x:xs) = **do** res <- f x res' <- mapM f xs return (res:res')



FOLDING

• Given: Function: b and a to computation returning b Initial value of accumulator b List of a's • Build: Computation "folding" list into a b

foldM :: Monad $m \Rightarrow (b \rightarrow a \rightarrow m b) \rightarrow b \rightarrow [a] \rightarrow m b$ foldM f seed [] = return seed foldM f seed (x:xs) = do accum <- foldM f seed xs</pre> f accum x

